

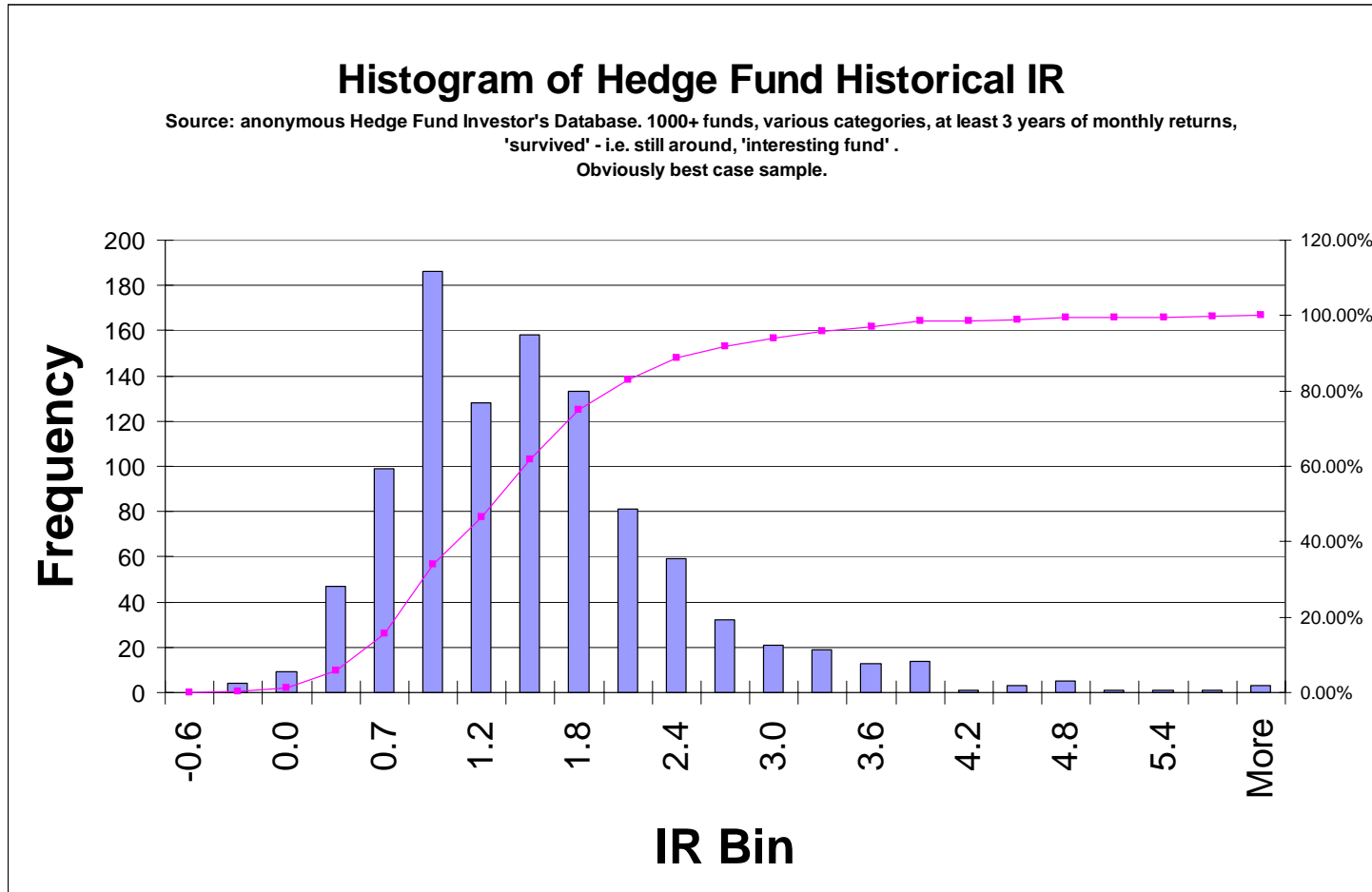
# Positive Hit Rates vs. Return Asymmetry.

Does it matter how Alpha is  
Achieved?

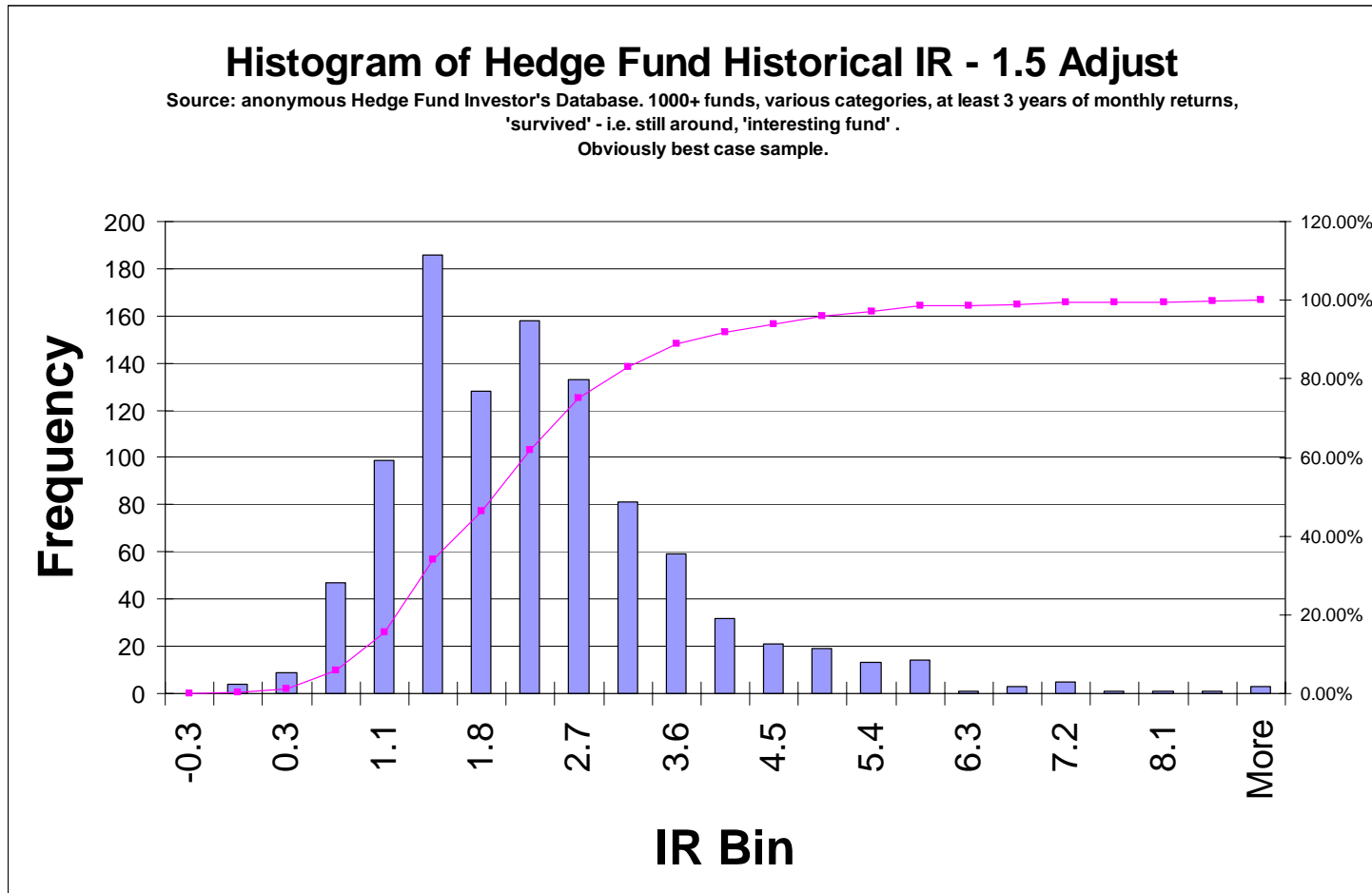
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# How good could things be?



# Add back fees and slippage... Cutting as much slack as possible



# How does a manager earn IR

- Looking at best case Historical IR histogram the range is roughly 0 – 7 when you throw out funds that did not survive.
- Let's do a thought experiment to see how 'good' a manager has to be to fall in different parts of that range.
- Only two ways a manager can make money:
  - Being Right more often than Wrong – Positive Hit Rate
  - Making more when Right than Loosing when Wrong – Payoff Asymmetry (Skew)

# One way to relate IR, Manager Skill and Breadth

- Grinold and Kahn expressed the relationship between manager skill, IR and number of bets by the approximation

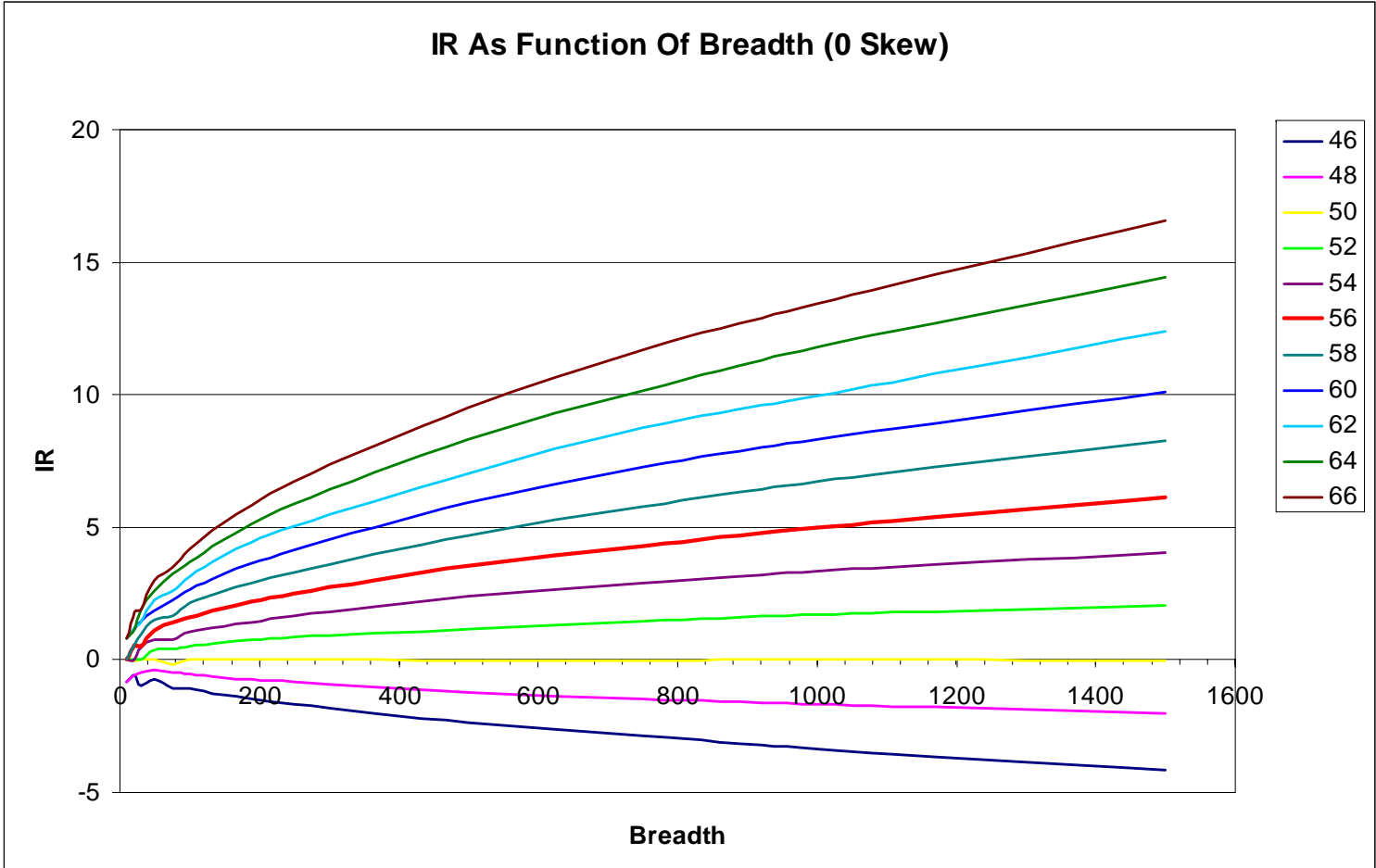
$$IR = IC * \text{SQRT}(\text{Breadth})$$

- IC : Information Coefficient. Correlation between forecasts and results. A measure of manager skill.
- Breadth : The number of Independent Bets the manager gets to make per period.
- Certain assumptions : Portfolio constructed with mean variance efficiency, Skill stays the same across Bets even as number of Bets increases.

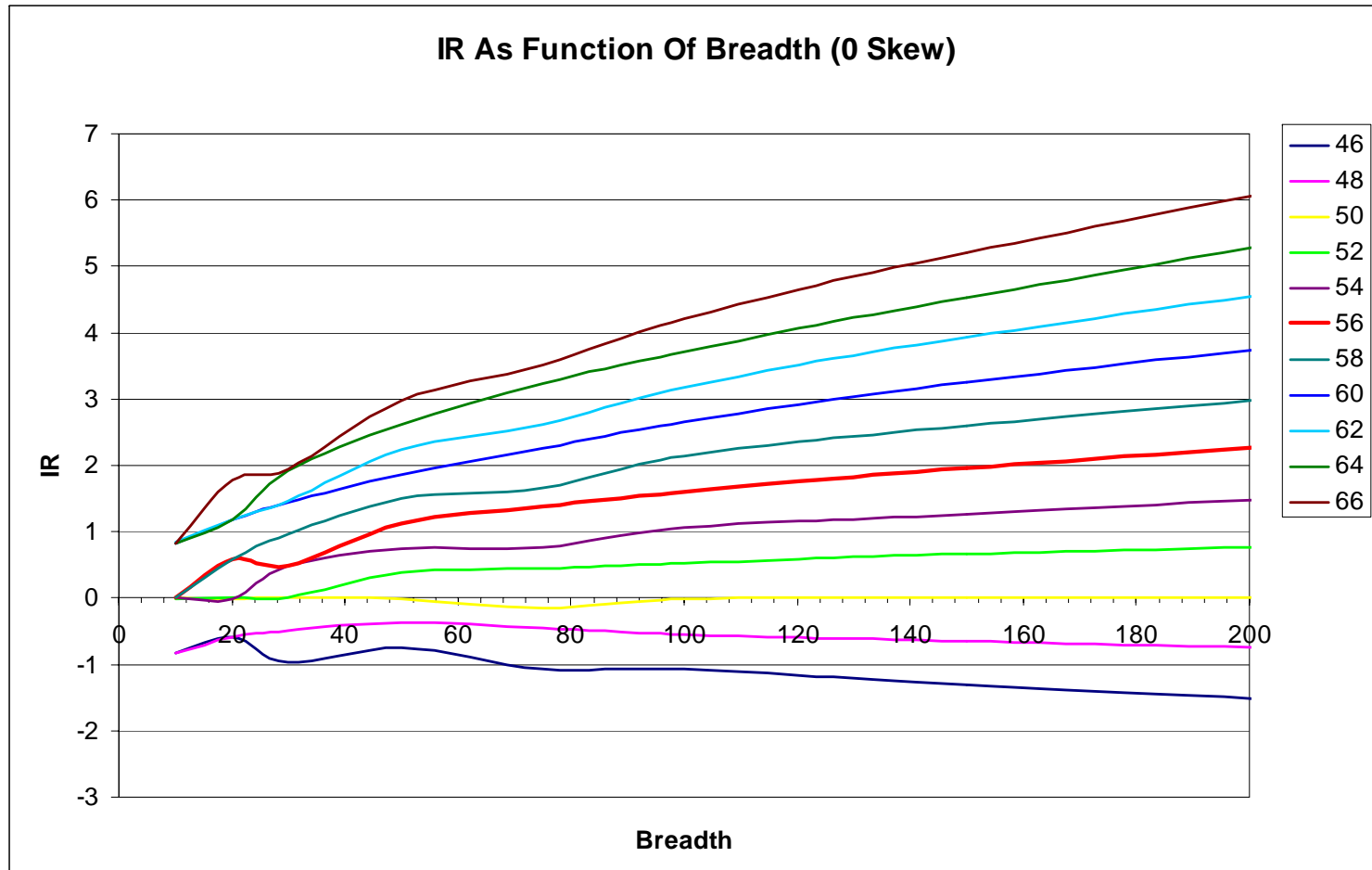
# Relating IR, Hit Rate, Payoff Asymmetry and Breadth

- Breadth = Number of Independent Bets a Year
- Success = Number of 'Positive Payoff' Bets
- Hit Rate = Success / Breadth
- Payoff Asymmetry (Skew) =  
Average (Positive Payoffs) – Average (Negative Payoffs)
- Using Monte Carlo sampled from  $N(0,1)$  simulate basic case.
  - Equal weighted portfolio (each draw randomly assigned), payoffs summed.
  - Number of draws in portfolio represents breadth.
  - Number of portfolios represent observations : 10000 observations.
  - Skew is a given. Negative payoffs multiplied by (1-skew)

# Monte Carlo 1

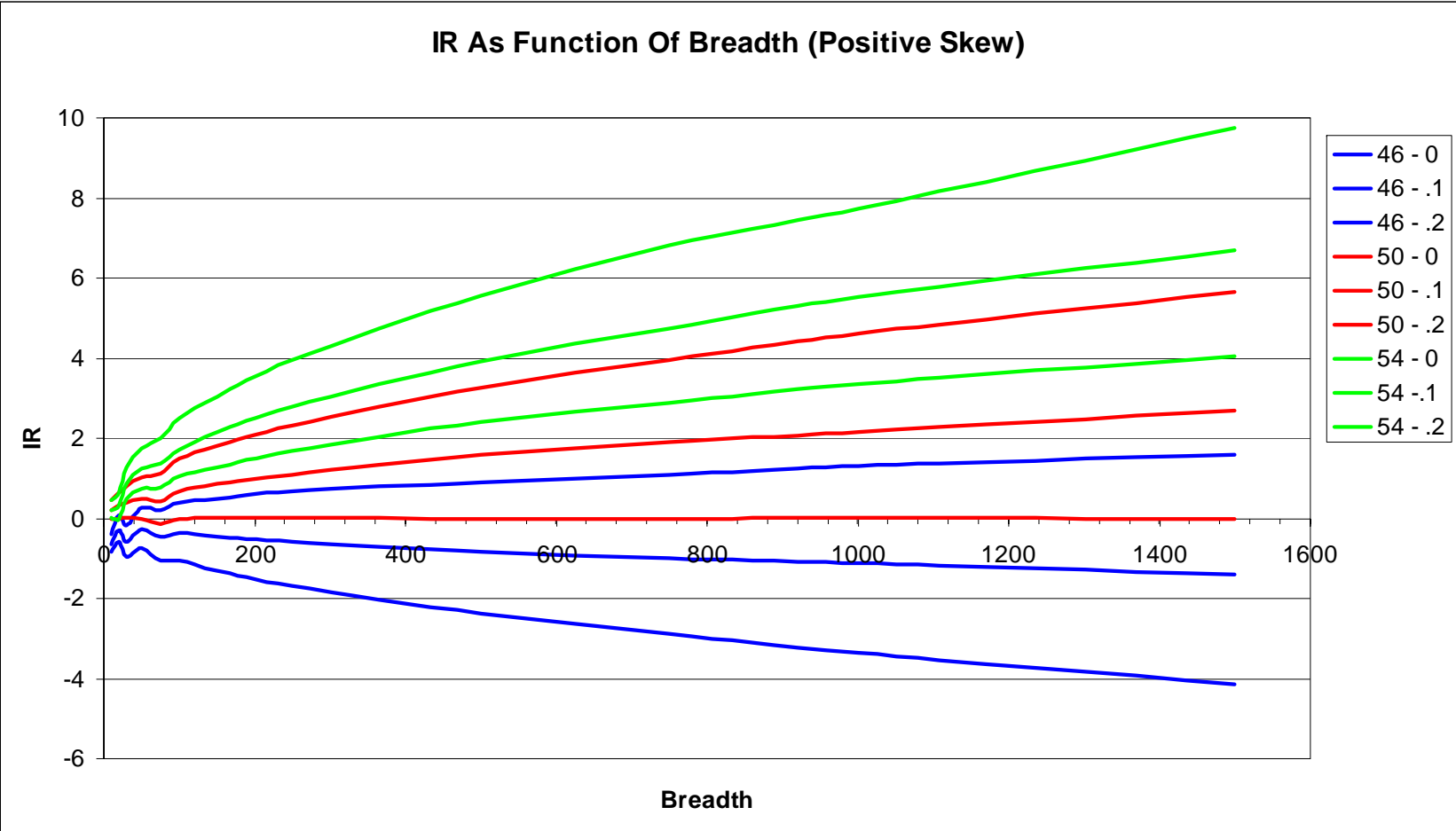


# Zoom In

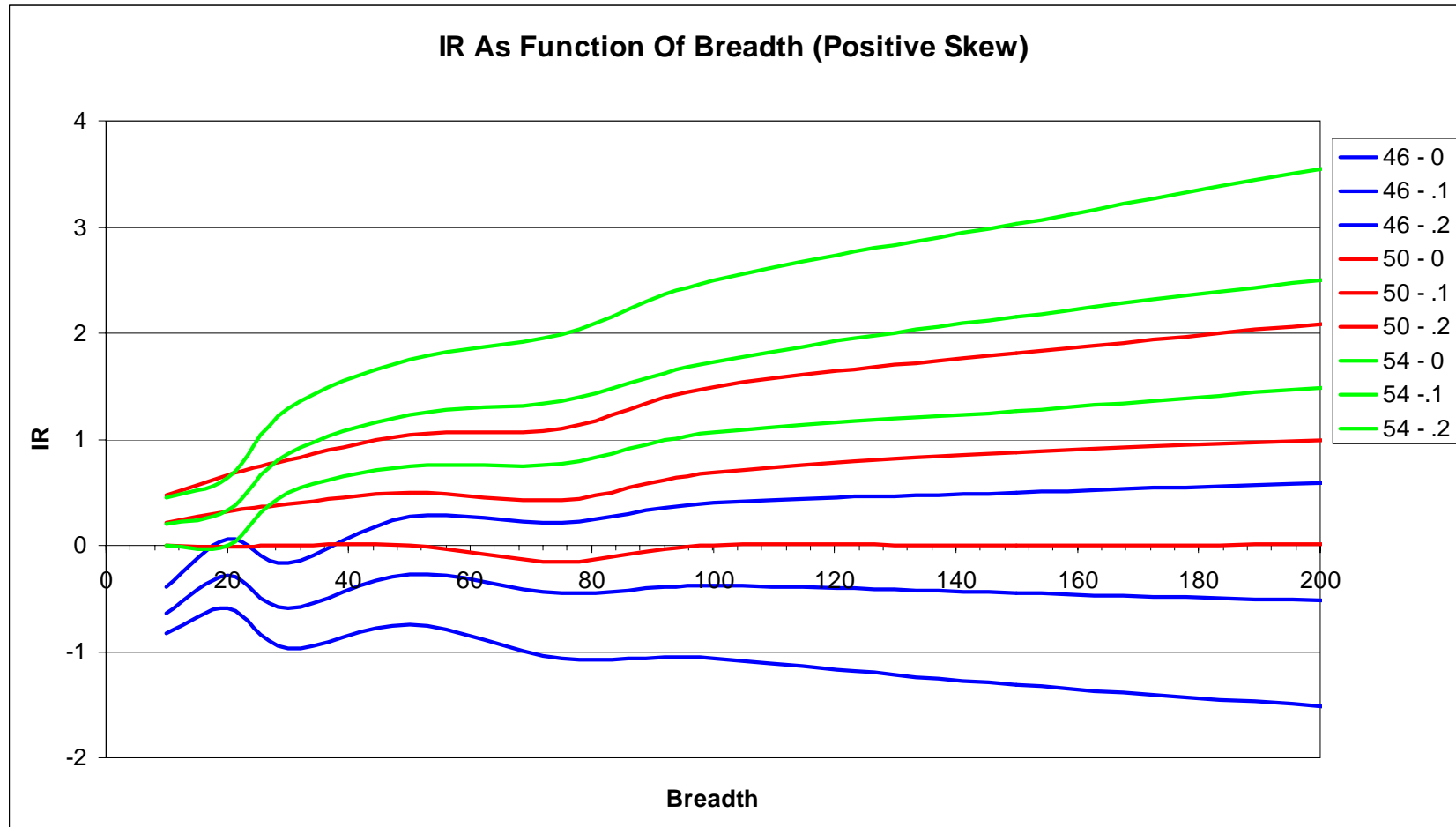




# Monte Carlo 2



# Zoom In

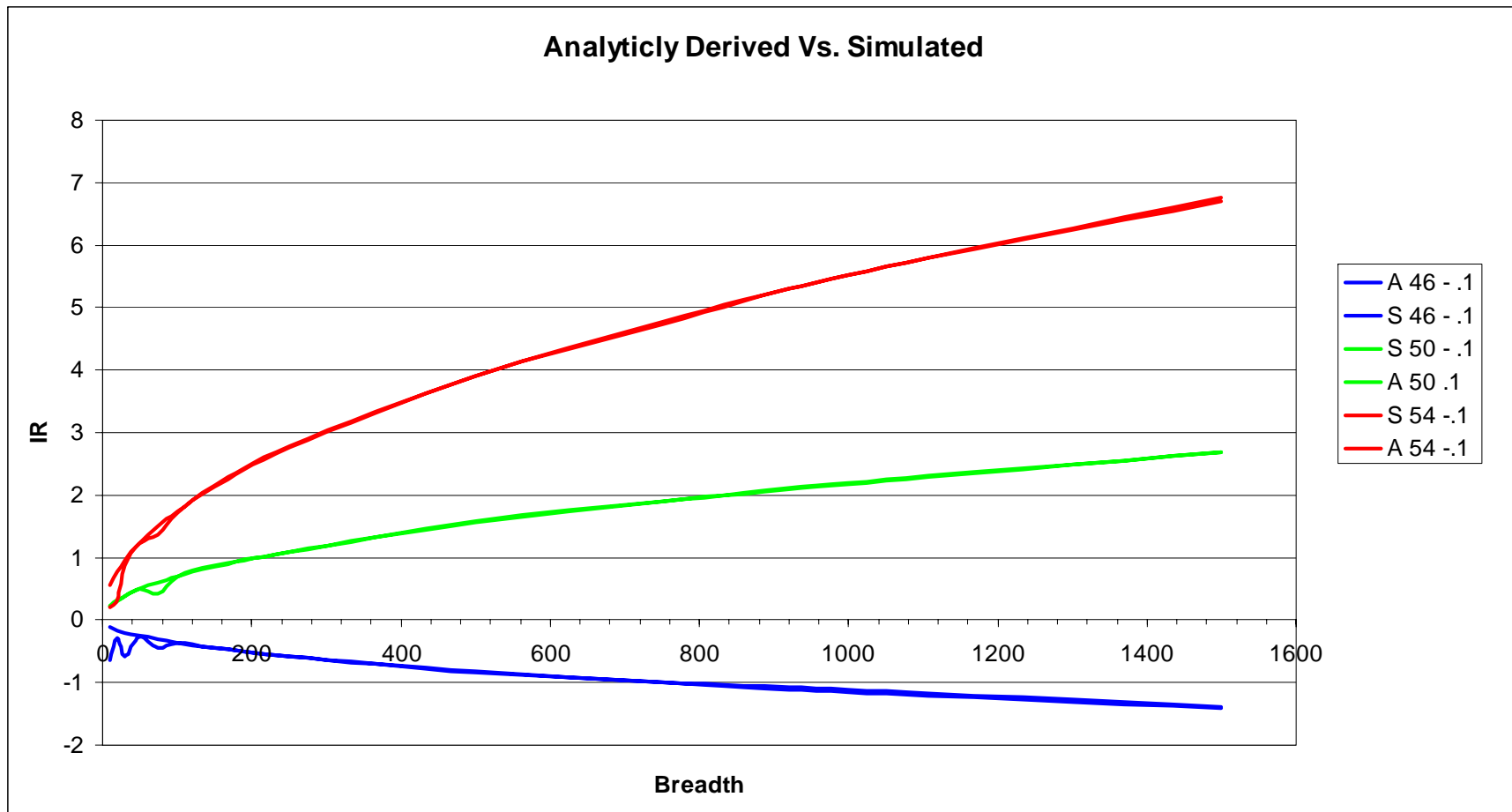


# Derived Analytically

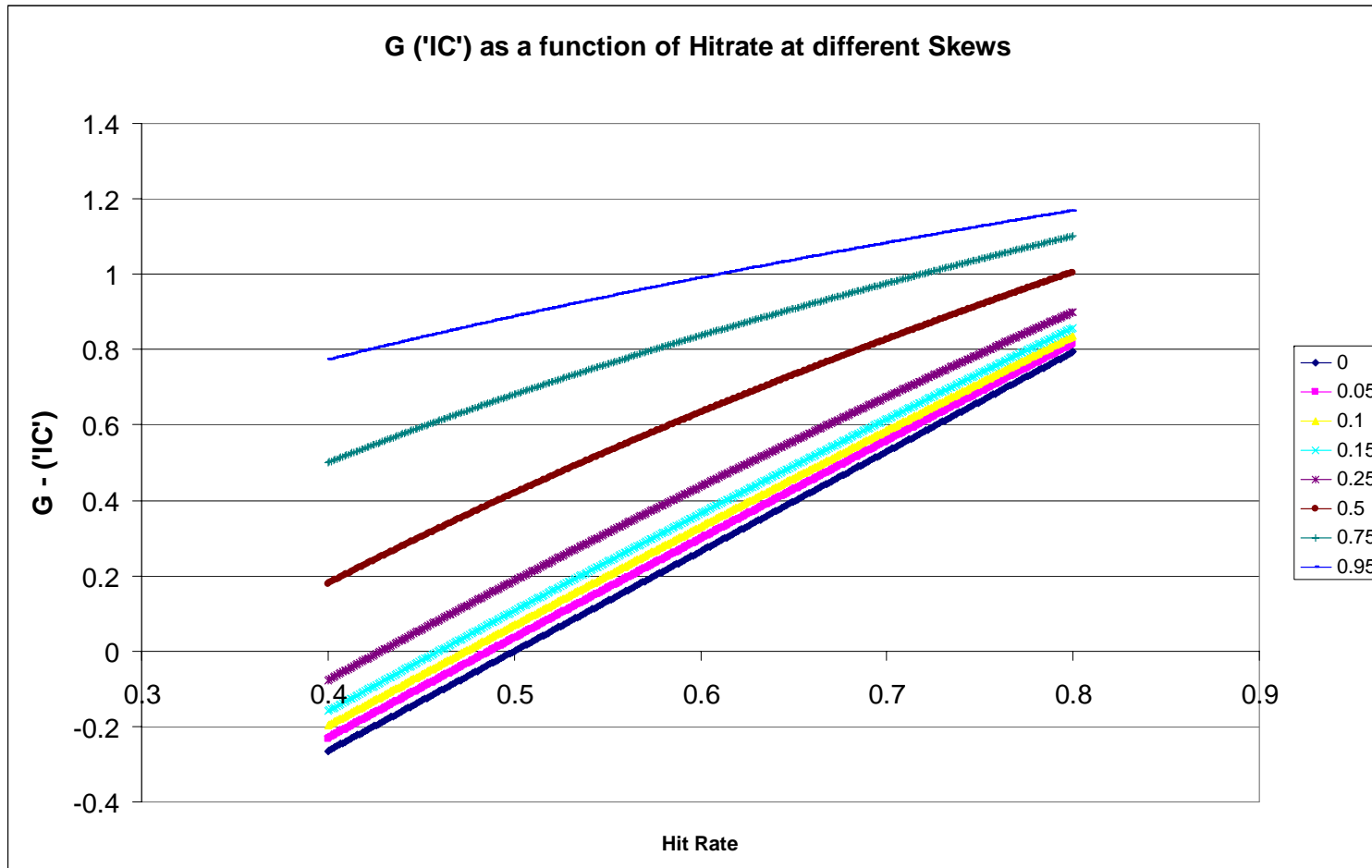
- For the base case (Normal) analytic solution below. Can be extended to other distributions.

$$IR = \frac{\sqrt{\frac{2}{\Pi}} \left[ \frac{Success}{Breadth} - \left(1 - \frac{Success}{Breadth}\right)(1 - Skew) \right]}{\left[ \left(1 - \frac{2}{\Pi}\right) \left( \frac{Success}{Breadth} + \left(1 - \frac{Success}{Breadth}\right)(1 - Skew)^2 \right) \right]^{\frac{1}{2}}} * \sqrt{Breadth}$$

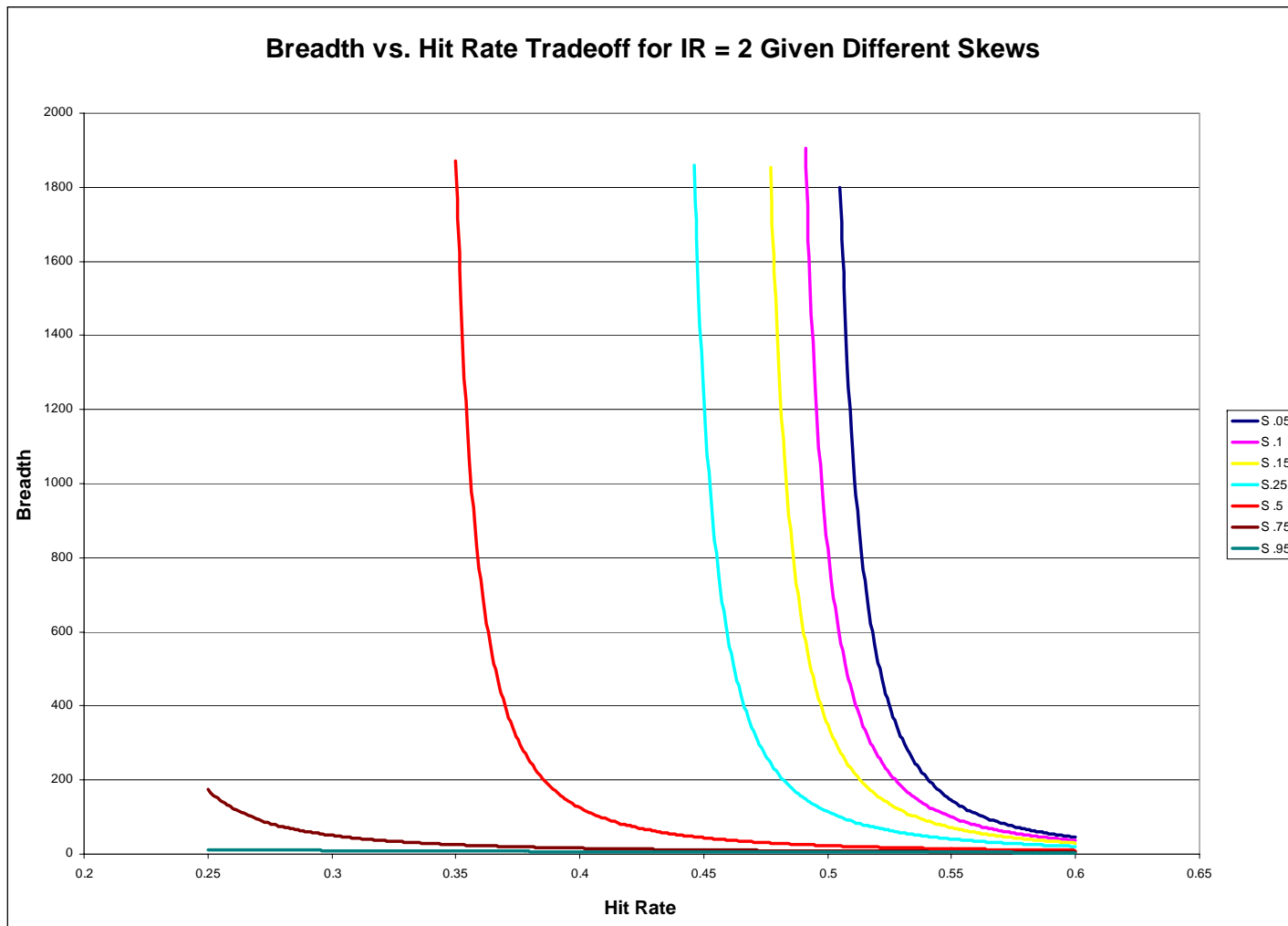
# Compare Analytic vs. Simulation



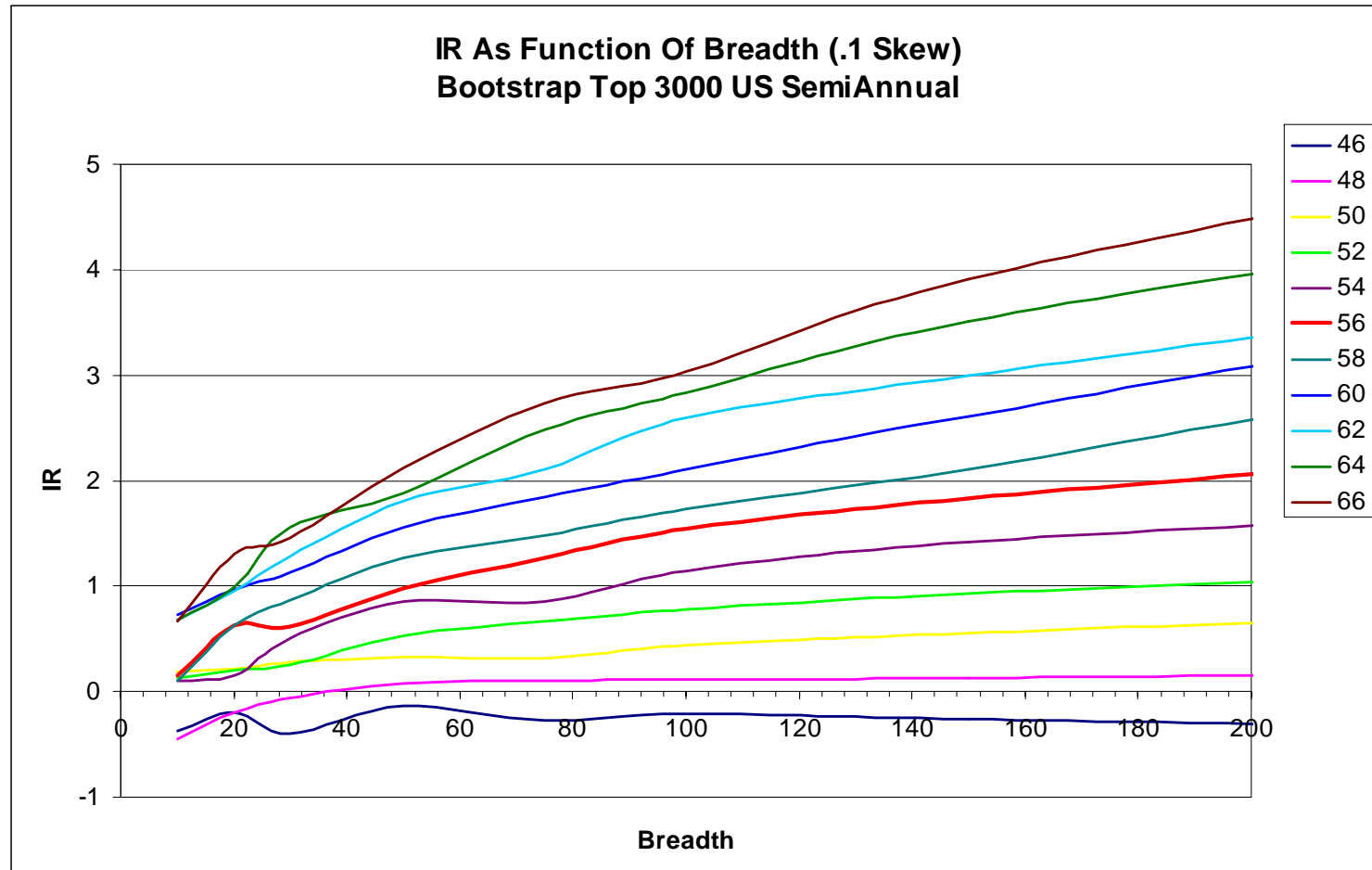
# Call IC part 'G' vary with Hit Rate and Skew



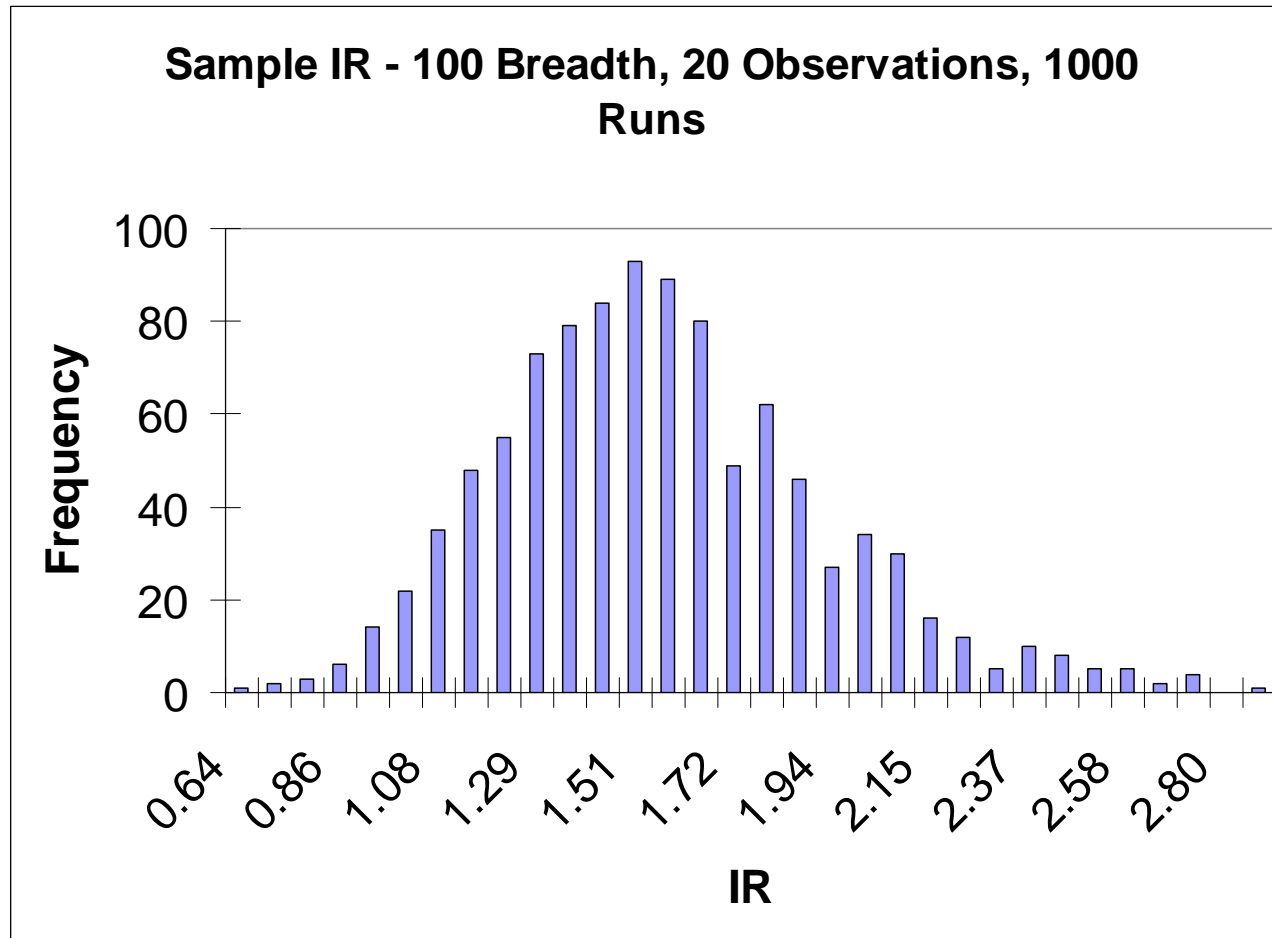
# Breadth, Hitrate and Skew for a given IR



# Can Use Some Real Data



100 Breadth, 56% hit rate, .1 skew  
IR sample distribution – 1.53 Avg, .35 Std





# Why Does This Matter - 1

- Fundamental vs. Systematized strategies
  - Typical fundamental analyst 20 hours a month on a name to maintain knowledge base
  - Increasing Breadth may rapidly cause decrease in HitRate / Skew or require more resources
  - Use framework to examine how probable are the IR targets managers promise given style and resources

# Why Does This Matter - 2

- Making money on Skew vs. Hit Rate
  - Strategies for Skew: CTA, Venture, Growth Managers
  - Strategies for Hit Rate: Stat Arb, Quant Investing, Multi Strat? Equity L/S?
  - Manager should be able to answer where he makes money one or the other or both.
  - Different environments (cross sectional vol) may favor one or the other

# Why Does This Matter - 3

- Not all Skews created equal.
  - Dynamic vs. Structural Skews
  - Options and structurally skewed instruments are better but you pay premium
  - Stop Loss most common form of Dynamic Skew. Much less stable. Vol Assumptions.
  - What happens when everyone wants stop?
  - Skew generally less stable / tractable than hit rates.